

	Cluster	I Can...	Key Vocabulary
<p>The Number System</p>	<p>Know that there are numbers that are not rational, and approximate them by rational numbers.</p>	<ul style="list-style-type: none"> <li>• Know that numbers that are not rational are called <b>irrational</b>.</li> <li>• Understand informally that every number has a <b>decimal expansion</b>.</li> <li>• Show, for <b>rational numbers</b>, that the <b>decimal expansion</b> repeats eventually.</li> <li>• Convert a <b>decimal expansion</b> which repeats eventually into a <b>rational number</b>.</li> <li>• Use rational approximations of <b>irrational numbers</b> to compare the size of <b>irrational numbers</b>.</li> <li>• Locate <b>irrational numbers</b> approximately on a number line diagram.</li> <li>• Estimate the value of <b>irrational expressions</b> (e.g., <math>\pi^2</math>). <i>For example, by truncating the decimal expansion of <math>\sqrt{2}</math>, show that <math>\sqrt{2}</math> is between 1 and 2, then between 1.4 and 1.5, and explain how to continue on to get better approximations.</i></li> </ul>	<ul style="list-style-type: none"> <li>• Rational number</li> <li>• Irrational number</li> <li>• Decimal expansion</li> </ul>
<p>Expressions &amp; Equations</p>	<p>Work with radicals and integer exponents.</p>	<ul style="list-style-type: none"> <li>• Know and apply the properties of <b>integer exponents</b> to generate equivalent numerical expressions. <i>For example, <math>3^2 \times 3^5 = 3^{-3} = \frac{1}{3^3} = \frac{1}{27}</math>.</i></li> <li>• Use <b>square root</b> and <b>cube root</b> symbols to represent solutions to equations of the form <math>x^2 = p</math> and <math>x^3 = p</math>, where p is a positive rational number.</li> <li>• Evaluate <b>square roots</b> of small <b>perfect squares</b> and <b>cube roots</b> of small <b>perfect cubes</b>.</li> <li>• Know that <math>\sqrt{2}</math> is <b>irrational</b>.</li> <li>• Use numbers expressed in the form of a single digit times an <b>integer power of 10</b> to estimate very large or very small quantities, and to express how many times as much one is than the other. <i>For example, estimate the population of the United States as <math>3 \times 10^8</math> and the population of the world as <math>7 \times 10^9</math>, and determine that the world population is more than 20 times larger.</i></li> <li>• Perform operations with numbers expressed in <b>scientific notation</b>, including problems where both decimal and <b>scientific notation</b> are used.</li> <li>• Use <b>scientific notation</b> and choose units of appropriate size for measurements of very large or very small quantities (e.g., use millimeters per year for seafloor spreading).</li> <li>• Interpret <b>scientific notation</b> that has been generated by technology.</li> </ul>	<ul style="list-style-type: none"> <li>• Integer</li> <li>• Exponent</li> <li>• Cube root</li> <li>• Square root</li> <li>• Radical</li> <li>• Irrational</li> <li>• Power of ten</li> <li>• Scientific notation</li> </ul>

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Expressions & Equations	<p>Understand the connections between proportional relationships, lines, and linear equations.</p>	<ul style="list-style-type: none"> <li>• Graph <b>proportional relationships</b>, interpreting the <b>unit rate</b> as the <b>slope</b> of the graph.</li> <li>• Compare two different <b>proportional relationships</b> represented in different ways. <i>For example, compare a distance-time graph to a distance-time equation to determine which of two moving objects has greater speed.</i></li> <li>• Use <b>similar triangles</b> to explain why the <b>slope</b> <math>m</math> is the same between any two distinct points on a non-vertical line in the coordinate plane.</li> <li>• <b>Derive</b> the equation <math>y = mx</math> for a line through the <b>origin</b> and the equation <math>y = mx + b</math> for a line <b>intercepting</b> the vertical axis at <math>b</math>.</li> </ul>	<ul style="list-style-type: none"> <li>• Proportional relationship</li> <li>• Unit rate</li> <li>• Slope</li> <li>• Origin</li> <li>• Similar triangles</li> <li>• Y-intercept</li> <li>• Derive</li> </ul>
	<p>Analyze and solve linear equations and pairs of simultaneous linear equations.</p>	<ul style="list-style-type: none"> <li>• Solve <b>linear equations</b> in one variable.                             <ol style="list-style-type: none"> <li>a. Give examples of <b>linear equations</b> in one variable with one <b>solution</b>, <b>infinitely many solutions</b>, or no solutions.                                     <ul style="list-style-type: none"> <li>- Show which of these possibilities is the case by successively transforming the given equation into simpler forms, until an <b>equivalent equation</b> of the form <math>x = a</math>, <math>a = a</math>, or <math>a = b</math> results (where <math>a</math> and <math>b</math> are different numbers).</li> </ul> </li> <li>b. Solve <b>linear equations</b> with <b>rational number coefficients</b>, including equations whose solutions require expanding expressions using the distributive property and collecting <b>like terms</b>.</li> </ol> </li> <li>• Analyze and solve pairs of simultaneous <b>linear equations</b>.                             <ol style="list-style-type: none"> <li>a. Understand that solutions to a system of two <b>linear equations</b> in two variables <b>correspond</b> to <b>points of intersection</b> of their graphs, because <b>points of intersection</b> satisfy both equations simultaneously.</li> <li>b. Solve <b>systems of two linear equations</b> in two variables algebraically, and estimate solutions by graphing the equations. Solve simple cases by inspection. <i>For example, <math>3x + 2y = 5</math> and <math>3x + 2y = 6</math> have no solution because <math>3x + 2y</math> cannot simultaneously be 5 and 6.</i></li> <li>c. Solve real-world and mathematical problems leading to two <b>linear equations</b> in two <b>variables</b>. <i>For example, given coordinates for two pairs of points, determine whether the line through the first pair of points intersects the line through the second pair.</i></li> </ol> </li> </ul>	<ul style="list-style-type: none"> <li>• Linear equation</li> <li>• Equivalent equations</li> <li>• Rational number</li> <li>• Coefficient</li> <li>• Like terms</li> <li>• Solution</li> <li>• System of linear equations</li> <li>• Points of intersection</li> <li>• Infinitely many solutions</li> <li>• Correspond</li> <li>• Variables</li> </ul>

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Functions	Define, evaluate, and compare functions.	<ul style="list-style-type: none"> <li>• Understand that a <b>function</b> is a rule that assigns to each <b>input</b> exactly one <b>output</b>.</li> <li>• The graph of a <b>function</b> is the set of <b>ordered pairs</b> consisting of an <b>input</b> and the <b>corresponding output</b>.</li> <li>• Compare properties of two <b>functions</b> each represented in a different way (algebraically, graphically, numerically in tables, or by verbal descriptions). <i>For example, given a linear function represented by a table of values and a linear function represented by an algebraic expression, determine which function has the greater rate of change.</i></li> <li>• Interpret the equation <math>y = mx + b</math> as defining a <b>linear function</b>, whose graph is a straight line.</li> <li>• Give examples of functions that are not linear. <i>For example, the function <math>A = s^2</math> giving the area of a square as a function of its side length is not linear because its graph contains the points (1,1), (2,4) and (3,9), which are not on a straight line.</i></li> </ul>	<ul style="list-style-type: none"> <li>• Function</li> <li>• Input</li> <li>• Output</li> <li>• Linear function</li> <li>• Ordered pair</li> <li>• Corresponding</li> <li>• Evaluate</li> </ul>
	Use functions to model relationships between quantities.	<ul style="list-style-type: none"> <li>• Construct a <b>function</b> to model a <b>linear relationship</b> between two quantities.</li> <li>• Determine the <b>rate of change</b> and <b>initial value</b> of the <b>function</b> from a description of a relationship or from two (x, y) values, including reading these from a table or from a graph.</li> <li>• Interpret the <b>rate of change</b> and <b>initial value</b> of a <b>linear function</b> in terms of the situation it models, and in terms of its graph or a table of values.</li> <li>• Describe <b>qualitatively</b> the <b>functional relationship</b> between two quantities by analyzing a graph (e.g., where the <b>function</b> is <b>increasing</b> or <b>decreasing, linear</b> or <b>nonlinear</b>).</li> <li>• Sketch a graph that exhibits the <b>qualitative</b> features of a <b>function</b> that has been described verbally.</li> </ul>	<ul style="list-style-type: none"> <li>• Linear function</li> <li>• Rate of exchange</li> <li>• Increasing</li> <li>• Decreasing</li> <li>• Linear</li> <li>• Non-linear</li> <li>• Initial value</li> <li>• Functional relationship</li> <li>• Qualitative</li> <li>• Function</li> <li>• Linear relationship</li> </ul>

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Geometry	<p>Understand congruence and similarity using physical models, transparencies, or geometry software.</p>	<ul style="list-style-type: none"> <li>• Verify experimentally the properties of <b>rotations</b>, <b>reflections</b>, and <b>translations</b>:                             <ol style="list-style-type: none"> <li>a. Lines are compared to lines, and line segments to line segments of the same length.</li> <li>b. Angles are compared to angles of the same measure.</li> <li>c. <b>Parallel lines</b> are compared to <b>parallel lines</b>.</li> </ol> </li> <li>• Understand that a two-dimensional figure is <b>congruent</b> to another if the second can be obtained from the first by a <b>sequence of rotations, reflections, and translations</b>.</li> <li>• Given two <b>congruent</b> figures, describe a <b>sequence</b> that exhibits the <b>congruence</b> between them.</li> <li>• Describe the effect of <b>dilations, translations, rotations, and reflections</b> on two-dimensional figures using <b>coordinates</b>.</li> <li>• Understand that a two-dimensional figure is <b>similar</b> to another if the second can be obtained from the first by a <b>sequence of rotations, reflections, translations, and dilations</b>.</li> <li>• Given two <b>similar</b> two-dimensional figures, describe a <b>sequence</b> that exhibits the <b>similarity</b> between them.</li> <li>• Use informal arguments to establish facts about the <b>angle sum</b> and <b>exterior angle</b> of triangles.</li> <li>• Use informal arguments to establish facts about the angles created when <b>parallel lines</b> are cut by a <b>transversal</b>.</li> <li>• Use informal arguments to establish facts about the <b>angle-angle criterion</b> for <b>similarity</b> of triangles. <i>For example, arrange three copies of the same triangle so that the sum of the three angles appears to form a line.</i></li> </ul>	<ul style="list-style-type: none"> <li>• Translation</li> <li>• Reflection</li> <li>• Rotation</li> <li>• Parallel line</li> <li>• Congruent</li> <li>• Dilation</li> <li>• Similar</li> <li>• Exterior angle</li> <li>• Transversal</li> <li>• Sequence</li> <li>• Coordinates</li> <li>• Angle sum</li> <li>• Angle-angle criterion</li> </ul>
	<p>Understand and apply the Pythagorean Theorem.</p>	<ul style="list-style-type: none"> <li>• Explain a <b>proof</b> of the <b>Pythagorean Theorem</b> and its <b>converse</b>.</li> <li>• Apply the <b>Pythagorean Theorem</b> to determine unknown side lengths in right triangles in real-world and mathematical problems in two and three dimensions.</li> <li>• Apply the <b>Pythagorean Theorem</b> to find the distance between two points in a <b>coordinate system</b>.</li> </ul>	<ul style="list-style-type: none"> <li>• Pythagorean Theorem</li> <li>• Converse</li> <li>• Proof</li> <li>• Coordinate system</li> </ul>

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<b>Geometry</b>	Solve real-world and mathematical problems involving volume of cylinders, cones, and spheres.	<ul style="list-style-type: none"> <li>• Know the formulas for the <b>volumes</b> of <b>cones</b>, <b>cylinders</b>, and <b>spheres</b> and use them to solve-real world and mathematical problems.</li> </ul>	<ul style="list-style-type: none"> <li>• Cylinder</li> <li>• Cone</li> <li>• Sphere</li> <li>• Volume</li> </ul>
<b>Statistics &amp; Probability</b>	Investigate patterns of association in bivariate data.	<ul style="list-style-type: none"> <li>• Construct and interpret <b>scatter plots</b> for <b>bivariate measurement data</b> (data with two variables) to investigate <b>patterns of association</b> between two quantities.</li> <li>• Describe patterns such as <b>clustering</b>, <b>outliers</b>, <b>positive or negative association</b>, <b>linear association</b>, and <b>nonlinear association</b>.</li> <li>• Know that straight lines are widely used to model relationships between two quantitative variables.</li> <li>• Informally fit a straight line for <b>scatter plots</b> that suggest a <b>linear association</b>, and informally assess the model fit by judging the closeness of the data points to the line.</li> <li>• Use the equation of a <b>linear model</b> to solve problems in the context of <b>bivariate measurement data</b>, interpreting the <b>slope</b> and <b>intercept</b>. <i>For example, in a linear model for a biology experiment, interpret a slope of 1.5 cm/hr as meaning that an additional hour of sunlight each day is associated with an additional 1.5 cm in mature plant height.</i></li> <li>• Understand that <b>patterns of association</b> can also be seen in <b>bivariate categorical data</b> by displaying <b>frequencies</b> and <b>relative frequencies</b> in a <b>two-way table</b> (a table that displays data in two different categories).</li> <li>• Construct and interpret a <b>two-way table</b> summarizing data on two categorical variables collected from the same subjects.</li> <li>• Use <b>relative frequencies</b> calculated for rows or columns to describe possible association between the two variables. <i>For example, collect data from students in your class on whether or not they have a curfew on school nights and whether or not they have assigned chores at home. Is there evidence that those who have a curfew also tend to have chores?</i></li> </ul>	<ul style="list-style-type: none"> <li>• Scatter plot</li> <li>• Bivariate data</li> <li>• Clustering</li> <li>• Outliers</li> <li>• Positive association</li> <li>• Negative association</li> <li>• Linear association</li> <li>• Nonlinear association</li> <li>• Trend line</li> <li>• Line of best fit</li> <li>• Linear model</li> <li>• Slope</li> <li>• Intercept</li> <li>• Categorical data</li> <li>• Two-way table</li> <li>• Frequency</li> <li>• Relative frequency</li> <li>• Patterns of association</li> </ul>

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